POSTAL BOOK PACKAGE 2026

MADE EASY PUBLICATIONS

ELECTRONICS ENGINEERING

CONVENTIONAL Practice Sets

CONTENTS

DIGITAL CIRCUITS

1 CHAPTER

Number Systems and Codes

Q.1 (i) Convert octal 756 to decimal.
(ii) Convert hexadecimal 3B2 to decimal.
(iii) Convert the long binary number 1001001101010001 to octal and to hexadecimal.

Solution:

(i) $(756)_8$

$$= 7 \times 8^2 + 5 \times 8^1 + 6 \times 8^0 = 448 + 40 + 6 = (494)_{10}$$

(ii) $(3B2)_{16}$

$$= 3 \times 16^2 + 11 \times 16^1 + 2 \times 16^0 \qquad \text{(put B = 11)}$$

$$= 768 + 176 + 2 = (946)_{10}$$

(iii)

$$\underbrace{0\,0\,1}_{1}\;\underbrace{0\,0\,1}_{1}\;\underbrace{0\,0\,1}_{1}\;\underbrace{1\,0\,1}_{5}\;\underbrace{0\,1\,0}_{2}\;\underbrace{0\,0\,1}_{1}$$

$$= (111521)_8$$

and

$$\underbrace{1\;0\;0\;1}_{9}\;\underbrace{0\;0\;1\;1}_{3}\;\underbrace{0\;1\;0\;1}_{5}\;\underbrace{0\;0\;0\;1}_{1}$$

$$= (9351)_{16}$$

Q.2 Show the value of all bits of a 12-bit register that holds the number equivalent to decimal 215 in
(a) binary (b) binary coded octal (c) binary coded hexadecimal and (d) binary coded decimal.

Solution:

(a) Binary

$$(215)_{10} = (11010111)_2$$

2	215	
2	107	1
2	53	1
2	26	1
2	13	0
2	6	1
2	3	0
	1	1

In a 12-bit register, it will be stored as: "0 0 0 0 1 1 0 1 0 1 1 1"

(b) Binary Coded Octal

$$(215)_{10} = (0327)_8 = 000\ \ 011\ \ 010\ \ 111$$

(c) Binary Coded Hexadecimal

$$(215)_{10} = (0D7)_{16} = 0000\ \ 1101\ \ 0111$$

(d) Binary Coded Decimal

In binary coded decimal, each decimal (0 to 9) digit is represented by 4-bit binary code.

$$(215)_{10} = 0010\ \ 0001\ \ 0101$$

Q.3 Consider the addition of numbers with different bases
$(x)_7 + (y)_8 + (w)_{10} + (z)_5 = (k)_9$
If $x = 36$, $y = 67$, $w = 98$ and $k = 241$, then z is

Solution:

$$(36)_7 = (27)_{10}\ ; \quad (67)_8 = (55)_{10}\ ; \quad (98)_{10} = (98)_{10}$$

$$(z)_5 = (z)_5$$

$$(241)_9 = (199)_{10}$$

$$(z)_5 = (199)_{10} - (27)_{10} - (55)_{10} - (98)_{10}$$

$$\begin{array}{c|c|c} 5 & 19 & 4 \\ \hline & 3 & \end{array}$$

$$(z)_5 = (19)_{10}$$
$$(z)_5 = (34)_5$$
$$\therefore \quad z = 34$$

Q.4 **(a) Represent the 8620 into following codes:**
(i) BCD (ii) Excess-3 (iii) 2421
(b) Find 7's complement of the given number $(2365)_7$

Solution:

(a) (i) Write binary equivalent of each decimal

8620 $\Rightarrow$ 1000 0110 0010 0000

(ii) **Excess-3:** For excess 3, add 3 (binary 0011) to each BCD part.

Hence,

1000	0110	0010	0000
+ 0011	+ 0011	+ 0011	+ 0011
1011	1001	0101	0011

(iii) 2421: It is a weighted binary code

There codes are minor image from the given dotted line.

As $(4)_{10}$ and $(5)_{10}$ make complementary pair.

Similarly $(3)_{10}$ and $(6)_{10}$ .... make the complementary pair.

Hence, 1110 1100 0010 0000.

Decimal digit	2	4	2	1
0	0	0	0	0
1	0	0	0	1
2	0	0	1	0
3	0	0	1	1
4	0	1	0	0
5	1	0	1	1
6	1	1	0	0
7	1	1	0	1
8	1	1	1	0
9	1	1	1	1

(b) For a value/number having a base of r,

then r's complement = $(r-1)$'s complement + 1

Hence, 7's complement of $(2365)_7$ = 6's complement + 1

$$\begin{array}{rl} 6\,6\,6\,6 & \\ -\,2\,3\,6\,5 & \\ \hline 4\,3\,0\,1 & \text{6's complement} \\ +\,1 & \\ \hline 4\,3\,0\,2 & \text{7's complement} \end{array}$$

Q.5 **Perform the following conversions:**
(i) $(3287.5100098)_{10}$ into octal (ii) $(675.625)_{10}$ into hexadecimal (iii) $(A72E)_{16}$ into octal

Solution:

(i) **To convert $(3287.5100098)_{10}$ into octal:**

- Integer part conversion,

$$\begin{array}{r|l} 8 & 3287 \\ \hline 8 & 410 - 7 \\ \hline 8 & 51 - 2 \\ \hline 8 & 6 - 3 \\ \hline & 0 - 6 \end{array}$$

$$(3287)_{10} = (6327)_8$$

- Fractional part conversion,

$$0.5100098 \times 8 = 4.0800784 \rightarrow 4$$
$$0.0800784 \times 8 = 0.6406272 \rightarrow 0$$
$$0.6406272 \times 8 = 5.1250176 \rightarrow 5$$
$$0.1250176 \times 8 = 1.0001408 \rightarrow 1$$
$$(0.5100098)_{10} = (0.4051...)_8$$

So, $(3287.5100098)_{10} = (6327.4051...)_8$

(ii) To convert $(675.625)_{10}$ into hexadecimal:

- Integer part conversion,

$$\begin{array}{r|l} 16 & 675 \\ \hline 16 & 42-3 \\ \hline 16 & 2-A \\ \hline & 0-2 \end{array} \uparrow \qquad (675)_{10} = (2A3)_{16}$$

- Fractional part conversion,

$$0.625 \times 16 = 10.000 \rightarrow A$$

$$(0.625)_{10} = (0.A)_{16}$$

So, $$(675.625)_{10} = (2A3.A)_{16}$$

(iii) To convert $(A72E)_{16}$ into octal:

- Hexadecimal to binary conversion,

$$(A72E)_{16} = (1010\,0111\,0010\,1110)_2$$

- Binary to octal conversion,

$$(1010\,0111\,0010\,1110)_2 = (001\,010\,011\,100\,101\,110)_2$$
$$= (123456)_8$$

So, $$(A72E)_{16} = (123456)_8$$

Q.6 If $X = 111.101$ and $Y = 101.110$ calculate $X + Y$ and $\left.\begin{array}{l} X-Y \\ Y-X \end{array}\right\}$ by 2's complement method.

Solution:

Given $$X = 111.101$$
$$Y = 101.110$$

Now $$X + Y = \begin{array}{r} 111.101 \\ 101.110 \\ \hline 1101.001 \\ \hline \end{array}$$

For $$X - Y = X + \text{2's complement of } Y$$
$$= 111.101 + 010.010$$

Discard the carry $= 1\,001.111$ as number will be positive

$$= 001.111$$
$$= 1.111$$

For $$Y - X = Y + \text{2's complement of } X$$
$$= 101.110 + 000.011$$
$$= 110.001$$

$\because$ There is no carry generated its a negative number.

$\therefore$ Difference = – (2's complement of 110.001) = – 1.111

Q.7 Perform the following addition and subtraction of excess-3 numbers:

(i) 0100 1000 + 0101 1000 (ii) 1100 1011 – 0100 1001

Check the results obtained, by performing the above operations in decimal format.